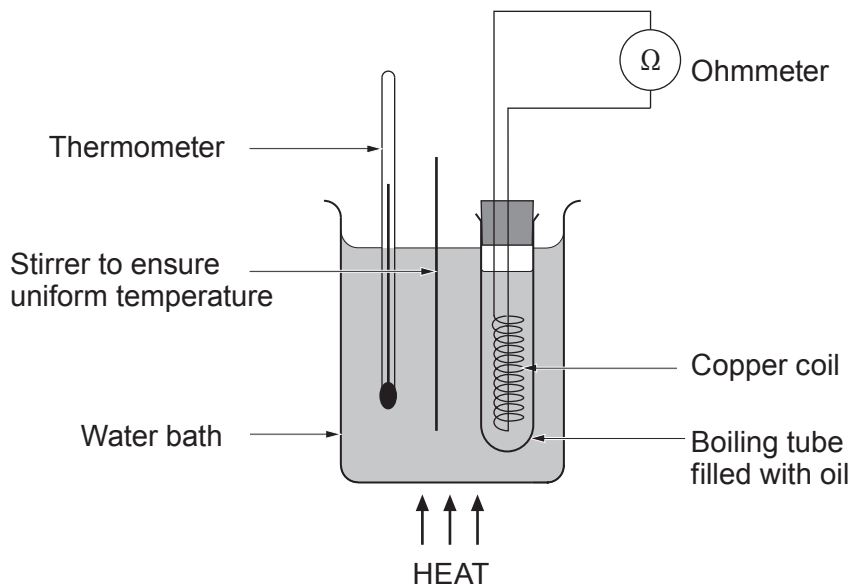


Data Analysis Task

A Physics student carried out an experiment to find the temperature coefficient of resistance, α , of copper. The following apparatus was used.



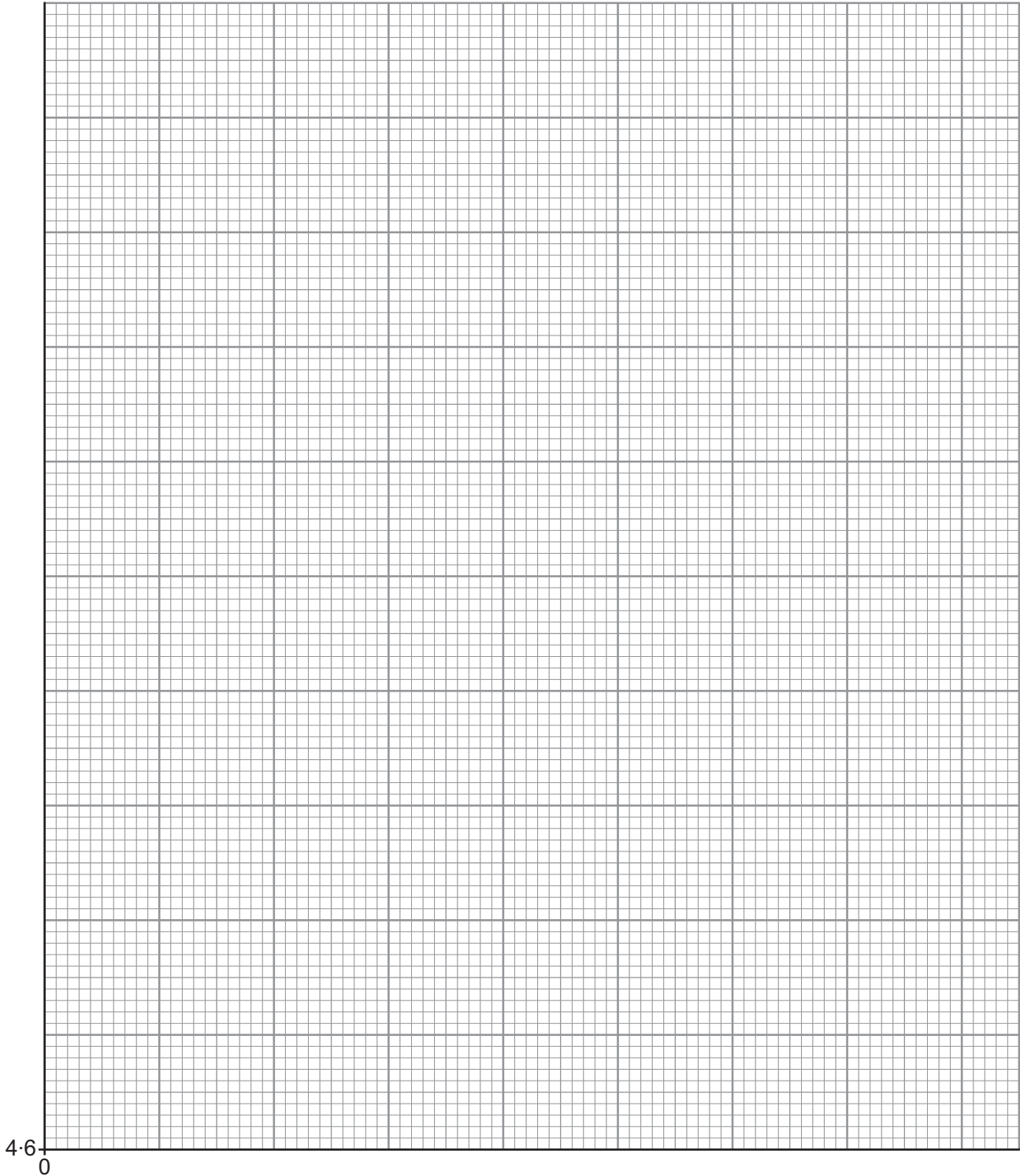
The resistance of the copper coil was recorded as the water bath was heated from 10 to 80 °C. Repeat readings were recorded as the water cooled back down to 10 °C.

Temperature, θ / °C	Resistance heating, R_θ / Ω	Resistance cooling, R_θ / Ω	Mean resistance, R_θ / Ω	Absolute uncertainty / Ω
10 \pm 1	4.89	5.05		
20 \pm 1	5.12	5.24		
30 \pm 1	5.26	5.34		
40 \pm 1	5.40	5.60		
50 \pm 1	5.62	5.80		
60 \pm 1	5.80	6.00		
70 \pm 1	5.97	6.13		
80 \pm 1	6.19	6.31		

(a) Complete the final two columns of the table.

[2]

- (b) Plot a graph of mean resistance, R_θ , (on the vertical axis) against temperature, θ , (on the horizontal axis). Include error bars on **both** axes, and draw a line of maximum gradient and a line of minimum gradient. [5]



- (c) The temperature coefficient of resistance, α , of copper can be found using the equation:

$$R_{\theta} = \alpha R_0 \theta + R_0$$

where:

R_0 = Resistance at 0 °C

R_{θ} = Resistance at temperature θ °C

θ = Temperature / °C

α = Temperature coefficient of resistance

Explain whether or not your graph is in agreement with the above equation. [3]

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- (d) (i) Calculate the maximum and minimum gradients for your graph. [3]

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- (ii) Hence determine the mean gradient and its **percentage** uncertainty. [2]

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- (e) (i) Calculate the mean value of the intercept along with its **percentage** uncertainty. State in words what this value represents. [3]

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- (ii) Using your calculations in parts (d)(ii) and (e)(i), calculate the temperature coefficient of resistance, α , of copper. Include an appropriate unit for α . [4]

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- (iii) State a value for the temperature coefficient of resistance, α , of copper to a suitable number of significant figures along with its **absolute** uncertainty. [3]

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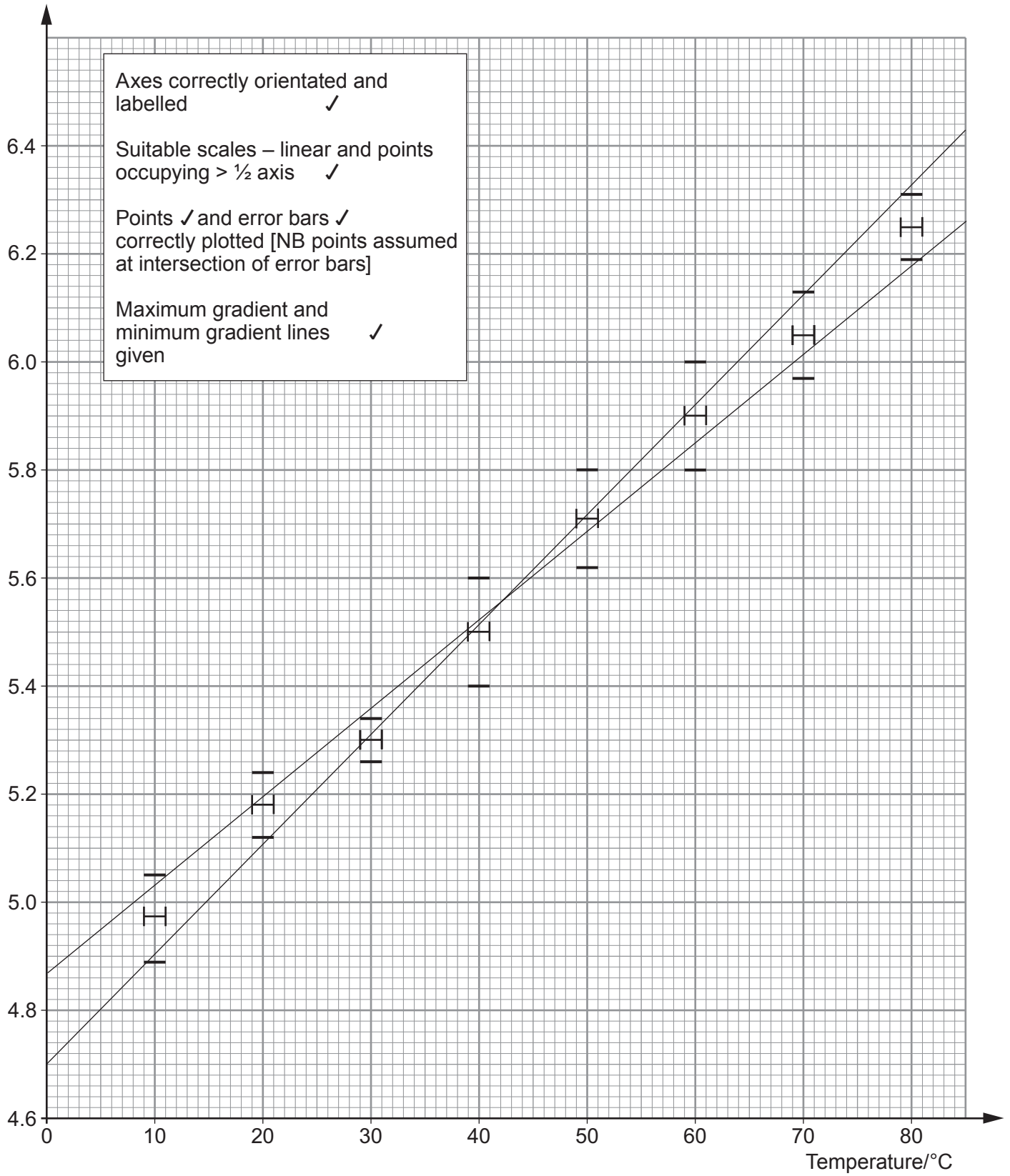
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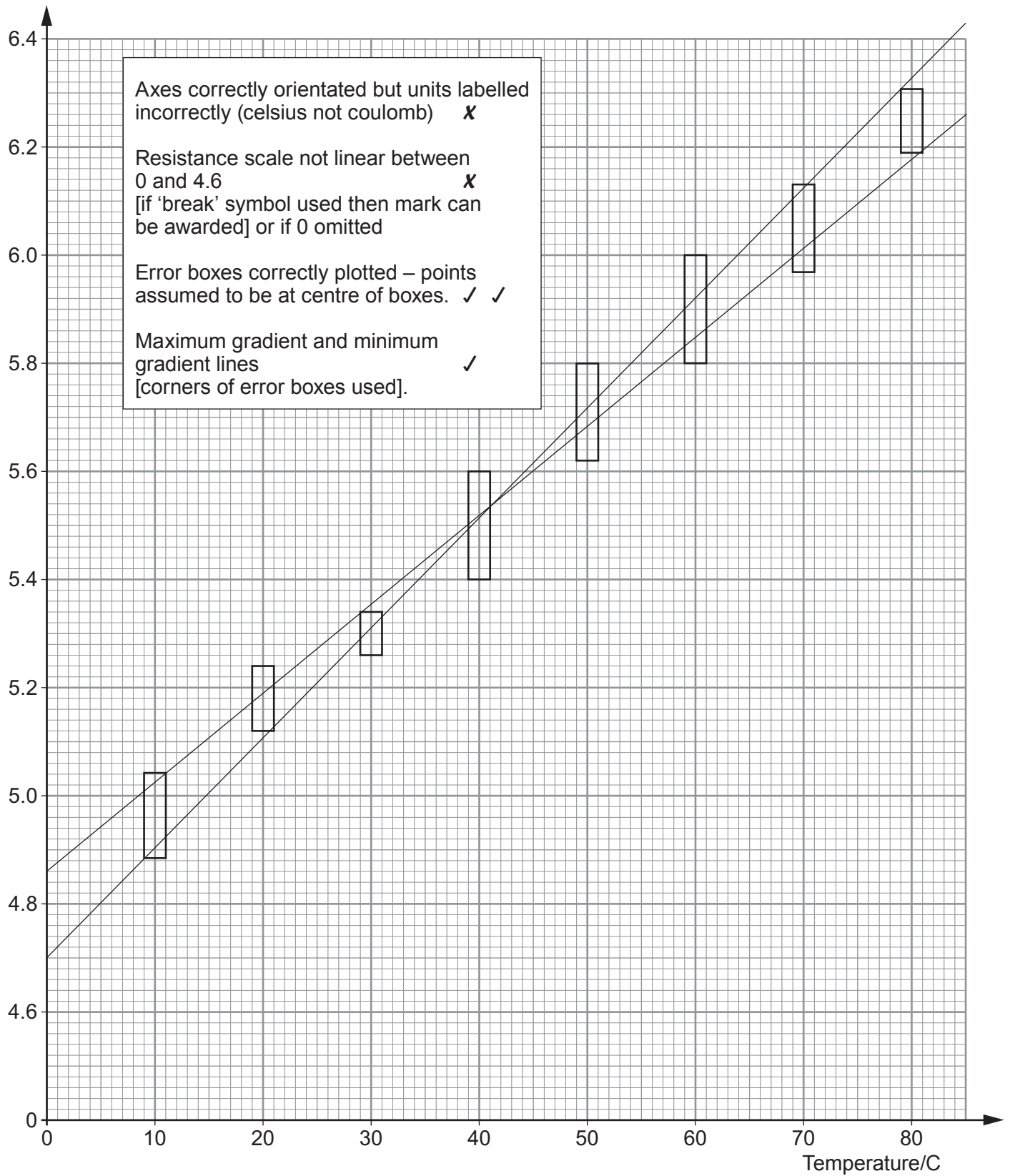
END OF PAPER

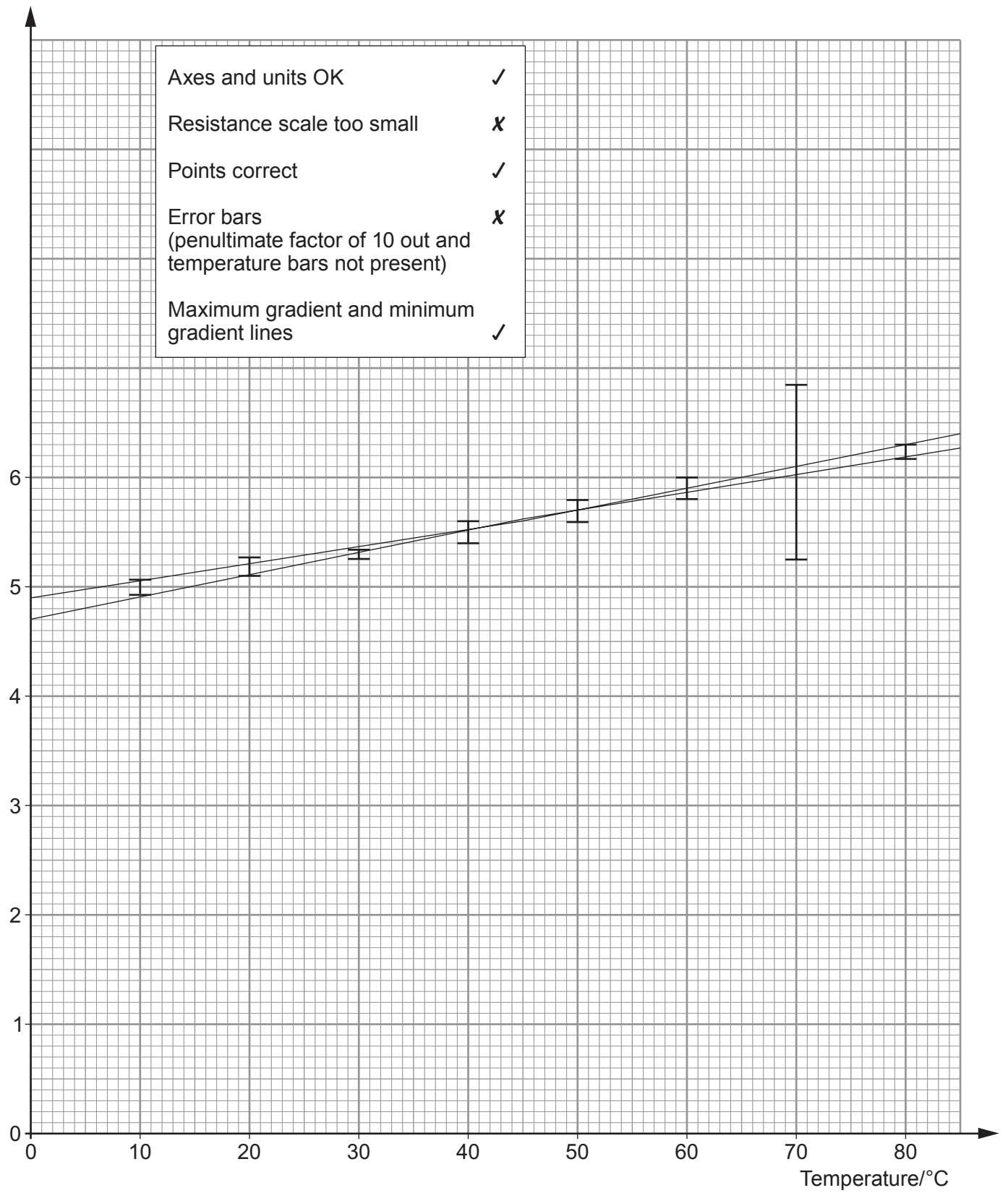
DATA ANALYSIS TASK – Mark Scheme

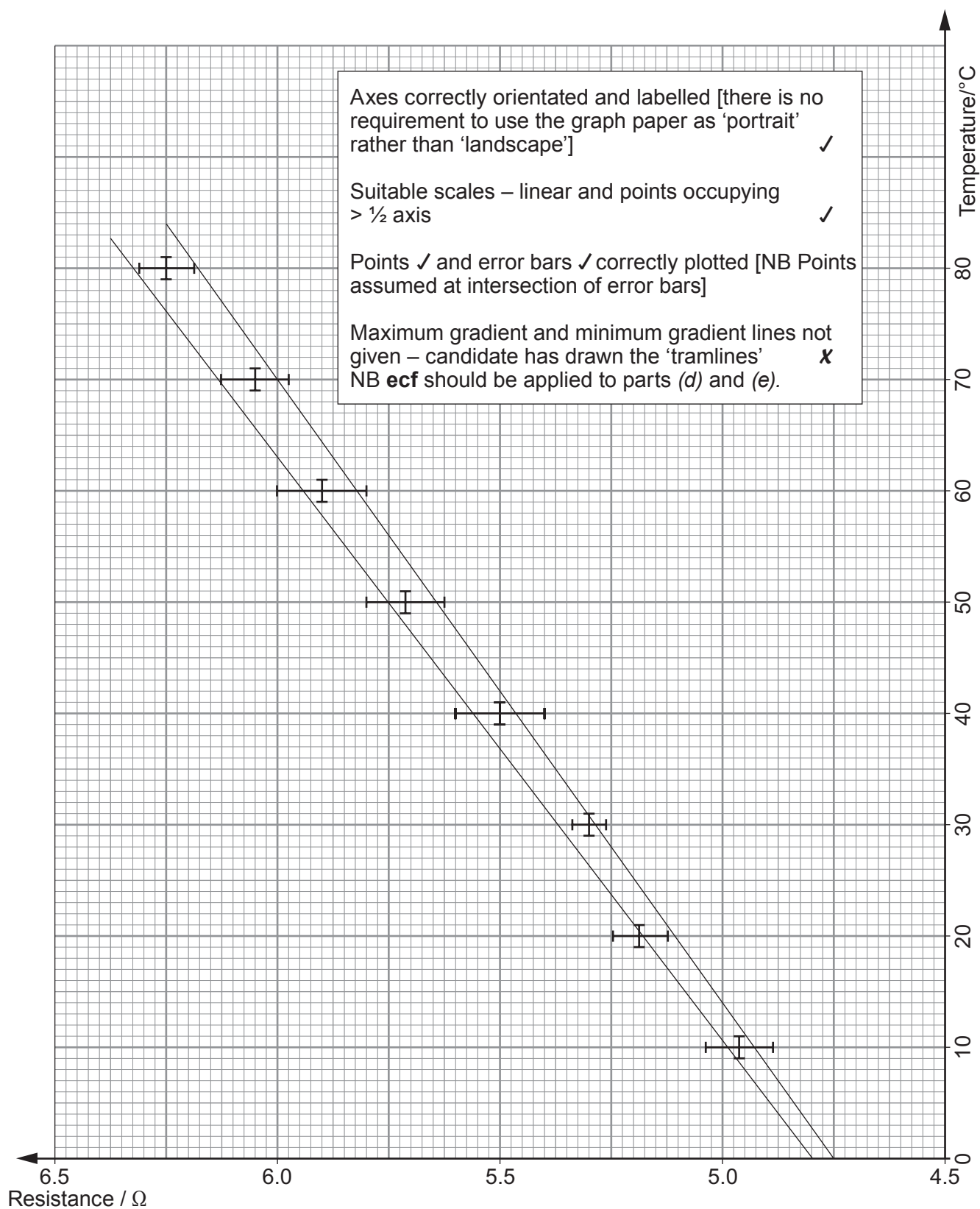
Question	Marking details	Marks Available																											
(a)	<table border="1" data-bbox="371 439 1145 920"> <thead> <tr> <th>Temperature, θ /$^{\circ}\text{C}$</th><th>Mean resistance, R_{θ}/Ω</th><th>Absolute uncertainty /Ω</th></tr> </thead> <tbody> <tr><td>10 ± 1</td><td>4.97</td><td>0.08</td></tr> <tr><td>20 ± 1</td><td>5.18</td><td>0.06</td></tr> <tr><td>30 ± 1</td><td>5.30</td><td>0.04</td></tr> <tr><td>40 ± 1</td><td>5.50*</td><td>0.10*</td></tr> <tr><td>50 ± 1</td><td>5.71</td><td>0.09</td></tr> <tr><td>60 ± 1</td><td>5.90*</td><td>0.10*</td></tr> <tr><td>70 ± 1</td><td>6.05</td><td>0.08</td></tr> <tr><td>80 ± 1</td><td>6.25</td><td>0.06</td></tr> </tbody> </table> <p style="text-align: center;">(1) (1)</p> <p>1 mark for each correct column. Note all numbers must be identical to those given in the table including any zeros - *but accept 5.5 ± 0.1 and 5.9 ± 0.1.</p>	Temperature, θ / $^{\circ}\text{C}$	Mean resistance, R_{θ}/Ω	Absolute uncertainty / Ω	10 ± 1	4.97	0.08	20 ± 1	5.18	0.06	30 ± 1	5.30	0.04	40 ± 1	5.50*	0.10*	50 ± 1	5.71	0.09	60 ± 1	5.90*	0.10*	70 ± 1	6.05	0.08	80 ± 1	6.25	0.06	2
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(b)	<p>Axes labelled with units and suitable scales (not involving awkward factors, e.g. 3 / over $\frac{1}{2}$ each axis used). (1) All points plotted correctly to within $\frac{1}{2}$ small square division. (2) (–1 for each incorrect plot). All error bars plotted correctly. (1) Correct maximum gradient and minimum gradient lines consistent with the error bars. (1) See exemplification on pages 4-8 for additional guidance on marking this section.</p>	5																											
(c)	<p>It is a straight-line graph. (1) Positive intercept (on the resistance axis). (1) For the 3rd mark: Either: Possible to draw a straight line through all the error bars / boxes. (1) Accept data points Or Has a positive gradient. (1)</p> <p>N.B. There is no mark for just “yes it is in agreement”. Subtract one mark for contradictory conclusion e.g. “not in agreement” because a straight line with positive intercept through all error bars → 2 marks</p>	3																											

Question		Marking details	Marks Available
(d)	(i)	<p>Large triangles used (should be close to the extremities of the lines) or 2 equivalent suitable points clearly indicated on each line. (1) Both gradients calculated correctly (ignore unit and significant figures) (1 + 1) Allow ecf for incorrect max/min lines. Exemplar values – values must be in agreement with candidate's graph. $\text{Max gradient} = \frac{6.33 - 4.69}{80.0 - 0.0} = 0.0205 \text{ } [\Omega^{\circ}\text{C}^{-1}]$ $\text{Min gradient} = \frac{6.17 - 4.86}{80.0 - 0.0} = 0.0164 \text{ } [\Omega^{\circ}\text{C}^{-1}]$ </p> <p>Marking tips: First check: The value of m_{max} should be $\sim 0.021 \text{ } [\Omega^{\circ}\text{C}^{-1}]$ and the value of m_{min} should be about $0.016 \text{ } [\Omega^{\circ}\text{C}^{-1}]$. Candidates who have drawn lines which do not take full advantage of the error bars may get <0.020 and >0.017 respectively. This is penalised in (c), so apply ecf. Candidates who have drawn 'tram lines' will have two nearly identical values of ~ 0.018. Again ecf should be applied.</p>	3
	(ii)	<p>Mean gradient correct (1) [Exemplar value $\sim 0.0184[5] \text{ } [\Omega^{\circ}\text{C}^{-1}]$ but apply ecf from (b) and (d)(i)]. No unit penalty. Percentage uncertainty correct (1) [Exemplar value $\sim 11\%$. Allow 1 or 2 sig figs. Apply ecf from (b) and (d)(i)].</p>	2
(e)	(i)	<p>Mean value correct [Exemplar value $4.78 \text{ } [\Omega]$]. (1) Percentage uncertainty correct [Exemplar value $\sim 2\%$ - allow 1 or 2 sig figs]. (1) Allow ecf. Intercept = Resistance (of copper) at 0°C. (1)</p>	3
	(ii)	<p>$\alpha = \frac{\text{gradient}}{R_0}$ or $\alpha = \frac{\text{gradient}}{\text{intercept}}$ stated or implied by calc. (1) Correct calculation, i.e. $\alpha = \frac{\text{answer to (d)(ii)}}{\text{answer to (e)(i)}} \text{ } (1)$ $\alpha = 3.9 \times 10^{-3} \text{ } [\text{Accept answer in range } 3.8 \text{ to } 4.0 \times 10^{-3}]$. (1) Note: This mark is for accuracy. Do not apply ecf. No sig figs penalty. Unit given as $^{\circ}\text{C}^{-1}$ (or K^{-1}). (1) N.B. If data points selected from the graph or table (1), calculation of α (1), correct unit (1) i.e. maximum of 3 marks awarded.</p>	4
	(iii)	<p>Total % uncertainty = % in (d)(ii) + % in (e)(i). (1) [Exemplar value $\sim 13\%$. Apply ecf] Absolute uncertainty correct and given to 1 or 2 sig figs. (1) [Exemplar value $\sim 0.5 \times 10^{-3}$] Temperature coefficient of resistance written correctly with its uncertainty, ignore unit, the value given to number of sig figs consistent with uncertainty [e.g. $0.0039 \pm 0.0005 \text{ } ^{\circ}\text{C}^{-1}$; $(3.9 \pm 0.5) \times 10^{-3} \text{ } ^{\circ}\text{C}^{-1}$]. (1) Award the mark if α and absolute uncertainty calculated correctly but written separately.</p>	3
		Question total	25

Resistance / Ω 

Resistance / Ω 

Resistance / Ω 



Resistance / Ω 